

Forecasting the daily deaths caused by COVID-19 using ARIMA model

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Abstract: Coronavirus disease (COVID-19) pandemic has recently become a global health crisis. On the basis of this study the data reported from ten different countries on confirmed daily deaths caused by COVID-19. By fitting the linear regression models based on the data from ten countries to find the relationship between the new cases and deaths reported daily. We also used the autoregressive integrated moving average model (ARIMA) to predict the potential number of daily deaths caused by COVID-19 in these countries in the next 3 Months. The R^2 value obtained for Iran (0.24) implies that 24% of daily deaths correspond to the daily cases. The R^2 of Pakistan 0.662 which indicates that 66.2% of daily deaths are explained by our predictor variable. In Turkey 70.2% of daily deaths are explained by daily cases and India recorded the highest number of deaths while UAE had the lowest number of deaths. Our results suggest that the pandemic is under control in China, UAE and Australia. Pakistan, Iran, Germany and Italy however, showed an upward trend in the spread of the disease, which may correlate with a high increase in death rate as the data indicated.

Keywords: Coronavirus, pandemic, ARIMA, prediction, trends.

INTRODUCTION

In 1937, scientists found 15 different types of corona viruses that infected the mammals and birds (Beaudette, 1937). Later in 1960s, the first human corona virus was detected in the nasal sample of a patient with common cold (Hamre and Procknow, 1966). A novel corona virus called severe acute respiratory syndrome coronavirus 2 (SARS-CoV-2) is a new strain of Coronavirus (a large family of viruses) that was reported in Wuhan City, China in December 2019 possibly from a zoonotic source (https://www.who.int/docs/default-source/coronaviruse/situation-reports/20200423-sitrep-94-covid-19.pdf?sfvrsn=b8304bf0_4). The virus is small in size ranging in diameter between 66-81nm (Park *et al.*, 2019). The World Health Organization has (WHO) designated the coronavirus disease caused by the virus as COVID-19. A large number of infections have now been reported outside China, with the infections spread over more than 200 countries worldwide. There is a difference among countries in the epidemiological investigations and detection capacity for the affected cases. The disease is extremely contagious with variable symptoms ranging from appearance of no symptoms to severe respiratory problems, so the prevalence of the virus in a population is difficult to estimate correctly. Since there is currently no established treatment available for the disease, the management of the spread of the disease by taking appropriate protective measures and the preparation of healthcare system to deal with the health crisis is crucial.

According to the WHO reports from 8th June 2020, about 7 million COVID-19 cases and 0.4 million deaths have been reported from around the world. The number of COVID-19 cases is still rising vigorously in some parts of the world. The current situation has put immense burden on the health sectors and has also badly deteriorated the global economy due to the strict measures taken by the governments. This unprecedented situation shows the need of the availability of a statistical modeling tool that can help in forecasting the possible number of daily deaths caused by COVID-19. Such a tool will be helpful in managing the pandemic by preparing the health sector for providing suitable services to the patients in order to minimize daily deaths.

Linear regression analysis is the most commonly used technique of all statistical techniques. It is a modeling technique where the regression estimates explain the association between one predicted variable and one or more predictor variables (Kumari K and Yadav S 2018). In clinical or biomedical research, the analysis is used to understand two or more independent variables to predict an outcome variable. ARIMA models were first suggested by (Box and Jenkins, 1970) and have numerous applications in various fields such as their use for forecasting in marketing, industry production, social problems, medical research and economics etc. In medical applications, time series forecasting models have been effectively applied to forecast the prevalence of diseases, estimate the death rate and evaluate the time dependent risk. ARIMA is also a good choice for predicting the hospital outpatient visits using a combinatorial model

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(Lou *et al.*, 2017). In a recent study from Iran, the health expenditures were forecasted using the ARIMA model (Ramezani *et al.*, 2019). ARIMA models are also being used for forecasting the COVID-19 confirmed cases in different countries from January 22th, 2020 to March 1, 2020 and predicted results for the next 17 days (Dehesh, 2020). ARIMA model has advantages over the short term of the series model as it provides the exact forecasting. However, it has the limitation of requiring at least 50 or more observations to forecast.

In this article we fitted linear regression model to evaluate if the independent variable (daily new cases) perform efficiently in predicting a dependent variable (daily deaths). We then used ARIMA model for forecasting the daily deaths caused by COVID-19 in ten countries. This study involved the number of cases and deaths reported from ten different countries that included Spain, Italy, Turkey, China, Australia, Germany, UAE, Iran, India and Pakistan. We have included most of the countries in which the population is highly affected by COVID-19. The best ARIMA model has been identified for each country. The daily cases of deaths have been forecasted for 3 months at 95% Confidence limit.

MATERIALS AND METHODS

Data Source

The data used in this study included the number of COVID-19 cases and deaths reported from July 1, 2020 to September 30, 2020 obtained from the website of worldmetero (<https://www.worldometers.info/coronavirus/>). We randomly selected ten countries most of which had their population highly affected by COVID-19 (table 1).

Mathematical Model

In this study, we have used linear regression analysis to identify the relationship between the new cases and deaths of COVID-19 reported daily in different countries. We have also used autoregressive integrated moving average (ARIMA) model on the data to predict the potential number of daily deaths caused by COVID-19 in different countries. We differenced the data to make it stationary by removing trends or seasonal structures for using it in ARIMA model. Minitab 18 software was used to develop the ARIMA models.

ARIMA Models

These models are the most general class of models for predicting a time series. A non-seasonal ARIMA model is classified as an ARIMA (p, d, q) models. Where, p is number of auto regressive term, d number of non-seasonal differences required for stationarity and q is number of lagged forecast errors in the prediction equation. In ARIMA model, we differenced the data to make it stationary. A model that shows stationarity is one that indicates that there is constancy to the data over time.

Most of the time data show trends, so by differencing trends or seasonal structures are removed.

Table 1: Data of COVID-19 cases and death in 10 countries reported on September 30, 2020 (<https://www.worldometers.info/coronavirus/>).

Countries	Cases	Deaths
Spain	819549	31791
Italy	314861	35894
Germany	292911	9571
Turkey	318663	8195
China	85403	4634
Iran	457219	26169
India	6310267	98708
UAE	94190	419
Australia	27078	886
Pakistan	312263	6479

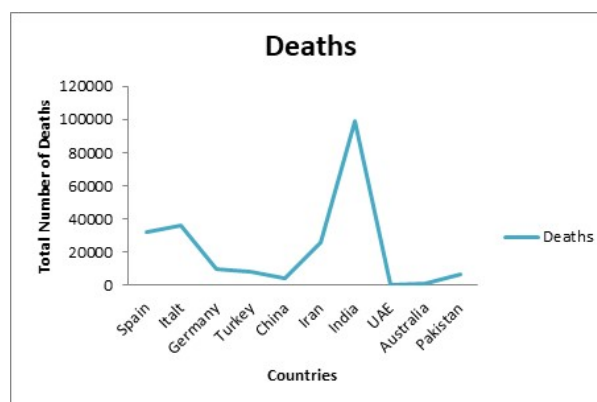


Fig. 1: Total numbers of deaths caused by COVID-19 in 10 different countries

A time series Y_t is said to follow the ARMA (p,q) model if:

$$Y_t = O_0 + O_1 Y_{t-1} + O_2 Y_{t-2} + \dots + O_p Y_{t-p} + \varepsilon_t - w_1 \varepsilon_{t-1} - w_2 \varepsilon_{t-2} - \dots - w_q \varepsilon_{t-q}$$

Where p and q are greater than zero, p refers to autoregressive AR, q refers to moving average MA and ε_t is a white noise. An extension of ordinary autoregressive moving average model (ARMA) is autoregressive integrated moving average model ARIMA (p, d, q) follows as: $O(B)(1-B)^d Y_t = W(B)\varepsilon_t$

Where, Y_t denote a non-stationary time series at time t, d is the order of differencing and ε_t is a white noise (mean zero and constant variance) and B represent the backward shift operator.

STATISTICAL ANALYSIS

In the present study, we used the linear regression and ARIMA models. Linear regression fits a straight line that minimizes the discrepancies between predicted and actual output values and ARIMA models are used for forecasting the future values based on past results. The details of the models are already discussed in the above section.

Supplementary table 1

Model Summary				
Model	R	R Square ^b	Adjusted R Square	Std. Error of the Estimate
Pakistan	0.814	0.662	0.659	14.560
Turkey	0.838	0.702	0.698	11.202
Spain	0.669	0.448	0.442	40.777
India	0.939	0.882	0.881	80.330
Italy	0.077	0.006	-0.005	8.496
Australia	0.005	0.000	-0.011	11.145
China	0.139	0.019	0.008	0.473
Iran	0.491	0.241	0.233	31.457
Germany	0.446	0.199	0.190	3.594
UAE	0.235	0.055	0.045	0.963

Predictors: Daily New Cases, For regression through the origin (the no-intercept model), R Square measures the proportion of the variability in the dependent variable about the origin explained by regression. This CANNOT be compared to R Square for models which include an intercept.

Countries	ANOVA ^{a,b}					
	Model	Sum of Squares	Df	Mean Square	F	Sig.
Pakistan	Regression	37424.856	1	37424.856	176.549	.000 ^b
	Residual	19078.220	90	211.980		
	Total	56503.076	91			
Turkey	Regression	26551.122	1	26551.122	211.599	.000 ^b
	Residual	11293.084	90	125.479		
	Total	37844.207	91			
Spain	Regression	121316.037	1	121316.037	72.959	.000 ^b
	Residual	149650.833	90	1662.787		
	Total	270966.870	91			
India	Regression	4353144.979	1	4353144.979	674.605	.000 ^b
	Residual	580759.238	90	6452.880		
	Total	4933904.217	91			
Italy	Regression	38.360	1	38.360	0.531	.468 ^b
	Residual	6496.803	90	72.187		
	Total	6535.163	91			
Australia	Regression	0.227	1	0.227	0.002	0.966 ^b
	Residual	11178.512	90	124.206		
	Total	11178.739	91			
China	Regression	0.397	1	0.397	1.774	.186 ^b
	Residual	20.157	90	0.224		
	Total	20.554	91			
Iran	Regression	28270.845	1	28270.845	28.569	.000 ^b
	Residual	89061.590	90	989.573		
	Total	117332.435	91			
Germany	Regression	288.812	1	288.812	22.362	.000 ^b
	Residual	1162.351	90	12.915		
	Total	1451.163	91			
UAE	Regression	4.888	1	4.888	5.265	.024 ^b
	Residual	83.547	90	0.928		
	Total	88.435	91			

Linear Regression through the Origin, Predictors: Daily New Cases, this total sum of squares is not corrected for the constant because the constant is zero for regression through the origin.

Coefficients ^{a,b}					
Model	Unstandardized Coefficients		Standardized Coefficients Beta	t	Sig.
	B	Std. Error			
Pakistan	.015	.001	.814	13.287	.000
Turkey	.062	.004	.838	14.546	.000
Spain	.010	.001	.669	8.542	.000
India	.026	.000	.983	58.971	.000
Italy	.001	.001	.077	0.729	.468
Australia	.000	.007	.005	0.043	.966
China	.003	.002	.139	1.332	.186
Iran	.039	.007	.491	5.345	.000
Germany	.003	.001	.446	4.729	.000
UAE	.001	.000	.235	2.295	.024

Dependent Variable, Linear Regression through the Origin

Table 1: Autocorrelation (ACF) and Partial Autocorrelation (PACF) plots of different countries

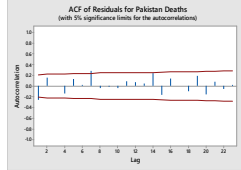
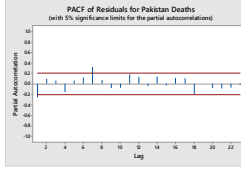
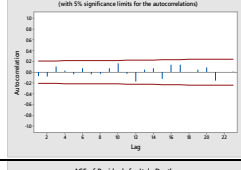
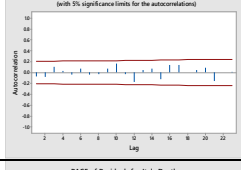
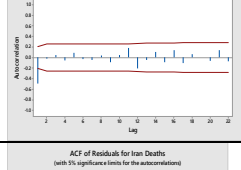
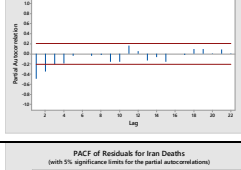
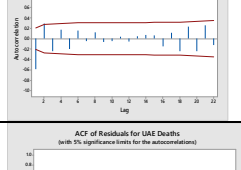
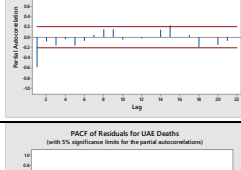
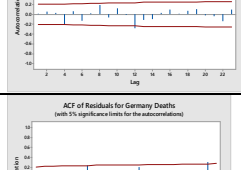
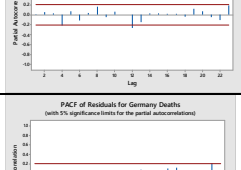
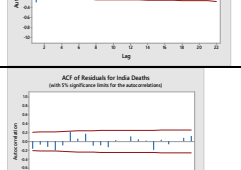
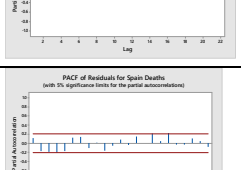
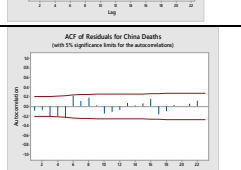
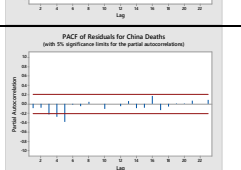
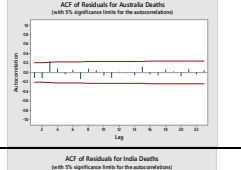
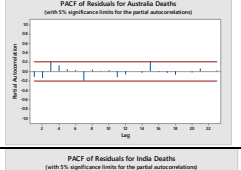
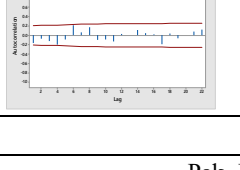
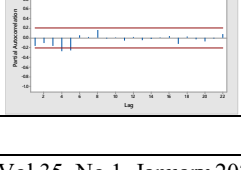


Countries	Models	ACF	PACF
Pakistan	ARIMA(1,0,1)		
Turkey	ARIMA(1,1,1)		
Italy	ARIMA(0,2,3)		
Iran	ARIMA(2,2,2)		
UAE	ARIMA(1,0,1)		
Germany	ARIMA(0,2,1)		
Spain	ARIMA(2,0,1)		
China	ARIMA(4,1,0)		
Australia	ARIMA(2,0,1)		
India	ARIMA(4,2,3)		

Table 2: Time series plot of deaths of different countries (with forecast and their 95% Confidence limit)

Countries	Estimates of Parameters					Plots
Pakistan	Type	Coef	SE Coef	T-Value	P-Value	
	AR 1	0.9987	0.0107	93.69	0.000	
	MR 1	0.5808	0.0985	5.90	0.000	
Turkey	Type	Coef	SE Coef	T-Value	P-Value	
	AR 1	-0.9637	0.0687	-14.02	0.000	
	MA 1	-0.8478	0.1170	-7.25	0.000	
Italy	Type	Coef	SE Coef	T-Value	P-Value	
	MA 1	1.1003	0.0054	205.38	0.000	
	MA 2	-0.2307	0.1148	-2.01	0.048	
	MA 3	0.1454	0.1180	1.23	0.221	
Iran	Type	Coef	SE Coef	T-Value	P-Value	
	AR 1	-0.2564	0.1399	-1.83	0.000	
	AR 2	0.0917	0.1343	0.68	0.070	
	MA 1	0.6847	0.0188	36.37	0.000	
	MA 2	0.3620	0.0490	7.38	0.000	
China	Type	Coef	SE Coef	T-Value	P-Value	
	AR 1	-0.8299	0.1039	-7.98	0.000	
	AR 2	-0.5792	0.1333	-4.34	0.000	
	AR 3	-0.2795	0.1333	-2.10	0.039	
	AR 4	-0.2395	0.1038	-2.31	0.023	

Continue...

Forecasting the daily deaths caused by COVID-19 using ARIMA model

Germany	<table border="1"> <thead> <tr> <th>Type</th> <th>Coef</th> <th>SE Coef</th> <th>T-Value</th> <th>P-Value</th> </tr> </thead> <tbody> <tr> <td>MA 1</td> <td>1.0025</td> <td>0.0091</td> <td>109.93</td> <td>0.000</td> </tr> </tbody> </table>	Type	Coef	SE Coef	T-Value	P-Value	MA 1	1.0025	0.0091	109.93	0.000																															
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Table 3: Prediction of Covid-19 Daily death cases for 3 Months according to ARIMA model with 95% Confidence limit

Date	Spain	Italy	Germany	Iran	Pakistan
10/1/2020	122(41,203)	21(4,39)	15(6,2)	198(162,234)	7(-9,22)
10/2/2020	116(32,200)	22(1,42)	15(2,29)	189(148,229)	7(-10,24)
10/3/2020	115(30,200)	22(-1,45)	15(-1,32)	197(146,247)	7(-11,25)
10/4/2020	114(28,201)	23(-3,49)	15(-4,34)	191(137,246)	7(-12,27)
10/5/2020	114(26,201)	24(-5,52)	15(-6,37)	197(135,258)	7(-13,28)
10/6/2020	113(24,202)	24(-7,56)	15(-8,39)	193(127,260)	8(-14,29)
10/7/2020	112(23,202)	25(-9,59)	15(-10,41)	197(125,269)	8(-15,30)
10/8/2020	112(21,203)	26(-10,62)	16(-12,43)	195(119,271)	8(-15,31)
10/9/2020	111(19,203)	27(-12,66)	16(-14,45)	198(117,278)	8(-16,32)
10/10/2020	111(18,204)	28(-14,69)	16(-16,47)	197(112,281)	8(-17,33)
10/11/2020	110(16,204)	28(-16,73)	16(-17,49)	198(109,288)	8(-18,34)
10/12/2020	109(15,204)	29(-18,76)	16(-19,50)	198(105,291)	8(-18,35)
10/13/2020	109(13,205)	30(-20,80)	16(-20,52)	199(102,297)	9(-19,36)
10/14/2020	108(11,205)	31(-22,84)	16(-22,54)	199(98,300)	9(-19,37)
10/15/2020	108(10,205)	32(-24,87)	16(-23,55)	200(95,305)	9(-20,38)
10/16/2020	107(8,206)	33(-26,91)	16(-24,57)	200(92,309)	9(-20,39)
10/17/2020	107(7,206)	34(-28,95)	16(-26,58)	201(89,317)	9(-21,39)
10/18/2020	106(6,206)	34(-30,99)	16(-27,59)	202(83,321)	9(-21,40)
10/19/2020	105(4,207)	35(-32,102)	16(-28,61)	203(80,325)	9(-22,41)
10/20/2020	105(3,207)	36(-34,106)	16(-30,62)	203(78,329)	10(-22,42)
10/21/2020	104(1,207)	37(-36,110)	16(-31,64)	204(75,333)	10(-23,42)
10/22/2020	104(0,208)	38(-38,114)	16(-32,65)	204(72,337)	10(-23,43)
10/23/2020	103(-1,208)	39(-40,118)	17(-33,66)	205(69,340)	10(-24,44)
10/24/2020	103(-3,208)	40(-42,122)	17(-34,68)	205(67,344)	10(-24,44)
10/25/2020	102(-4,208)	41(-44,127)	17(-36,69)	206(64,348)	10(-24,45)
10/26/2020	102(-5,208)	42(-46,131)	17(-37,70)	207(62,351)	10(-25,46)
10/27/2020	101(-7,209)	43(-48,135)	17(-38,71)	207(59,355)	11(-25,46)
10/28/2020	100(-8,209)	45(-50,139)	17(-39,73)	208(57,358)	11(-26,47)
10/29/2020	100(-9,209)	46(-52,143)	17(-40,74)	208(57,358)	11(-26,46)
10/30/2020	99(-10,209)	47(-54,143)	17(-41,75)	209(55,362)	11(-26,48)
10/31/2020	99(-12,209)	48(-56,152)	17(-44,76)	209(52,365)	11(-27,48)
11/1/2020	98(-13,209)	49(-59,157)	17(-45,80)	210(489,372)	11(-27,49)
11/2/2020	98(-14,210)	50(-61,161)	17(-46,81)	210(45,375)	11(-27,50)
11/3/2020	97(-15,210)	51(-63,166)	17(-47,82)	211(43,379)	11(-27,50)
11/4/2020	97(-16,210)	53(-65,170)	17(-48,83)	211(41,382)	12(-28,51)
11/5/2020	96(-18,210)	54(-67,175)	18(-49,84)	212(39,385)	12(-28,52)
11/6/2020	96(-19,210)	55(-70,180)	18(-50,85)	212(36,389)	12(-28,52)
11/7/2020	95(-20,210)	56(-72,184)	18(-51,87)	213(34,392)	12(-29,53)
11/8/2020	95(-21,210)	57(-74,189)	18(-52,88)	214(32,395)	12(-29,53)
11/9/2020	94(-22,210)	59(-76,194)	18(-53,89)	214(30,398)	12(-29,54)
11/10/2020	94(-23,210)	60(-79,199)	18(-54,90)	215(28,401)	12(-29,55)
11/11/2020	93(-24,210)	61(-81,204)	18(-55,91)	215(26,405)	13(-30,55)
11/12/2020	93(-25,211)	63(-83,209)	18(-56,92)	216(24,408)	13(-30,55)
11/13/2020	92(-26,211)	64(-86,214)	18(-57,93)	216(22,411)	13(-30,56)
11/14/2020	92(-27,211)	65(-88,219)	18(-58,94)	217(20,414)	13(-30,56)
11/15/2020	91(-28,211)	67(-90,224)	18(-59,95)	217(18,417)	13(-31,57)
11/16/2020	91(-30,211)	68(-93,229)	18(-60,96)	218(16,420)	13(-31,57)
11/17/2020	90(-31,211)	69(-95,229)	18(-60,97)	218(14,423)	13(-31,58)
11/18/2020	90(-32,211)	71(-97,239)	18(-61,98)	219(12,426)	13(-31,58)

Continue...

11/19/2020	89(-33,211)	72(-100,245)	18(-62,99)	220(10,429)	14(-31,58)
11/20/2020	89(-34,211)	74(-102,250)	18(-63,100)	220(8,432)	14(-32,59)
11/21/2020	88(-34,211)	75(-105,255)	19(-64,101)	221(6,435)	14(-32,60)
11/22/2020	88(-35,211)	77(-107,261)	19(-65,102)	221(5,438)	14(-32,60)
11/23/2020	87(-36,211)	78(-110,266)	19(-66,103)	222(3,441)	14(-32,61)
11/24/2020	87(-37,211)	80(-112,271)	19(-66,104)	222(1,444)	14(-32,61)
11/25/2020	86(-38,211)	81(-115,277)	19(-67,105)	223(-1,447)	14(-33,61)
11/26/2020	86(-39,211)	83(-117,283)	19(-68,106)	223(-3,449)	14(-33,62)
11/27/2020	85(-40,211)	84(-119,288)	19(-69,107)	224(-4,452)	14(-33,62)
11/28/2020	85(-41,211)	86(-122,294)	19(-70,108)	224(-6,452)	15(-33,62)
11/29/2020	84(-42,211)	87(-124,299)	19(-71,109)	225(-8,458)	15(-33,63)
11/30/2020	84(-43,211)	89(-127,305)	19(-71,110)	225(-10,461)	15(-33,63)
12/1/2020	83(-45,211)	91(-129,311)	19(-72,111)	226(-11,464)	15(-34,63)
12/2/2020	83(-45,211)	92(-132,317)	19(-73,112)	226(-13,466)	15(-34,64)
12/3/2020	82(-46,211)	94(-135,323)	19(-74,112)	227(-15,469)	15(-34,64)
12/4/2020	82(-47,211)	96(-137,328)	19(-75,114)	227(-17,472)	15(-34,65)
12/5/2020	81(-48,211)	97(-140,334)	19(-76,115)	228(-18,475)	15(-34,65)
12/6/2020	81(-49,211)	99(-142,340)	20(-77,116)	228(-20,477)	16(-34,65)
12/7/2020	80(-50,211)	101(-145,346)	20(-78,117)	229(-21,480)	16(-34,66)
12/8/2020	80(-50,211)	102(-147,352)	20(-78,118)	230(-23,483)	16(-35,65)
12/9/2020	80(-51,211)	104(-150,358)	20(-79,119)	230(-25,486)	16(-35,66)
12/10/2020	79(-52,210)	106(-153,365)	20(-80,120)	231(-26,488)	16(-35,67)
12/11/2020	79(-53,210)	108(-155,371)	20(-81,121)	232(-28,491)	16(-35,67)
12/12/2020	78(-54,210)	110(-158,377)	20(-81,121)	232(-30,494)	16(-35,67)
12/13/2020	78(-54,210)	111(-160,383)	20(-82,122)	233(-31,496)	16(-35,68)
12/14/2020	78(-55,210)	113(-163,389)	20(-83,123)	233(-33,499)	16(-35,68)
12/15/2020	77(-56,210)	115(-166,396)	20(-84,124)	234(-34,502)	17(-35,68)
12/16/2020	77(-57,210)	117(-168,402)	20(-84,125)	234(-36,504)	17(-36,69)
12/17/2020	76(-57,210)	119(-171,409)	20(-85,126)	235(-37,512)	17(-36,69)
12/18/2020	76(-58,210)	121(-174,415)	20(-86,127)	235(-39,509)	17(-36,69)
12/19/2020	75(-59,210)	123(-176,422)	20(-87,127)	236(-40,512)	17(-36,70)
12/20/2020	75(-60,210)	124(-179,428)	21(-87,128)	236(-42,515)	17(-36,70)
12/21/2020	75(-60,210)	126(-182,435)	21(-88,129)	237(-43,517)	17(-36,70)
12/22/2020	74(-61,210)	128(-184,441)	21(-89,130)	237(-45,520)	17(-36,71)
12/23/2020	74(-62,210)	130(-187,448)	21(-90,132)	238(-46,522)	17(-36,71)
12/24/2020	73(-63,209)	132(-190,455)	21(-91,133)	238(-48,525)	17(-36,71)
12/25/2020	73(-63,209)	134(-193,461)	21(-91,133)	239(-49,527)	18(-37,72)
12/26/2020	73(-64,209)	136(-195,468)	21(-92,134)	239(-51,530)	18(-37,72)
12/27/2020	72(-65,209)	138(-198,475)	21(-93,135)	240(-52,533)	18(-37,72)
12/28/2020	72(-64,209)	140(-201,482)	21(-93,135)	240(-53,535)	18(-37,73)
12/29/2020	72(-66,209)	142(-204,488)	21(-94,136)	241(-55,538)	18(-37,73)
12/30/2020	71(-66,209)	145(-206,495)	21(-94,136)	241(-55,539)	18(-37,73)
12/31/2020	71(-67,209)	147(-209,502)	21(-95,137)	242(56-,540)	18(-37,73)

RESULTS

Fig. 1 represents the total deaths caused by COVID-19 in ten different countries. According to the plot, India recorded the highest number of deaths while UAE had the lowest number of deaths.

By using linear regression analysis, we identified the relationship between the new daily cases and deaths of COVID-19 in 10 different countries. Results of linear regression model are given in Supplementary table 1.

The R^2 value obtained for Iran (0.24) implies that 24% of daily deaths correspond to the daily cases. The R^2 of Pakistan 0.662 which indicates that 66.2% of daily deaths are explained by our predictor variable. In Turkey 70.2% of daily deaths are explained by daily cases. Only 5.5% of daily deaths are explained by UAE. Only 1.9% of China daily deaths are explained by its daily cases. In Germany 19.9% of daily deaths are explained by daily cases. In India 88.2% of daily deaths are explained by daily cases. Only 0.6% of daily deaths are explained by Italy. Only 0% of daily deaths are explained by Australia. The

R^2 value obtained for Spain (0.44) implies that 44% of daily deaths correspond to the daily cases. The reasons of unexplained death cases in the reported data for all countries may be the diagnosed cases are not true indicative of the extent of the spread of the disease in the population or testing capacity may not be enough.

The ANOVA table shows the usefulness of the linear regression model so, we expected the p-value to be significant (<0.05) and the values were indeed significant for all the countries, which indicates the usefulness of our linear regression model. Coefficient table provides the quantification of the relationship between daily cases and daily deaths. We fitted best the ARIMA model for COVID-19 daily death data from the ten countries to be implemented for forecasting.

Table 1, we develop the graph of the residual of ACF and PACF to check whether our model meet the assumption that residuals are independent or not. As we see that the spikes of ACF and PACF of Australia, Turkey and Spain are within the bands so there is no significant correlation and conclude that residuals are independent so our model fits the data. In the plot of Pakistan, Italy, Iran, UAE and China one spike is slightly outside the band that shows significant correlation but this may be due to random error.

Table 2 shows the estimates of parameters and the forecast plots of ARIMA model at 95 % Confidence limit for different countries with high number of daily death cases. It is observed that P is less than the significant value which is 0.05 so we conclude that these ARIMA models are best fit model.

Tables 3 represent the forecast for 3 months with 95% confidence interval for ten different countries. This table indicates that India have shown a downward trend after 10th November. China shows almost control the pandemic and zero death. Pakistan, Iran, Germany and Italy indicate the upward trend for next 3 months which show more deaths. Australia and UAE show the stable trend. Turkey shows stable trend after 10th October.

DISCUSSION

Our results suggest that the pandemic is under control in China, UAE and Australia. Pakistan, Iran, Germany and Italy however, showed an upward trend in the spread of the disease, which may correlate with a high increase in death rate as indicated by the data. It is essential to stress that our rough estimate is based upon the past available data and there may be a change based upon the daily number of new cases reported in future. This study has been performed to provide a model that may be used for predicting the death rate caused by COVID-19 to help the government authorities to take necessary actions for managing the current health crises in the country.

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